

Logics of Knowledge and Information

guiding themes:

**how to model (access to distributed) information;
reasoning about resulting knowledge phenomena;
support for such tasks in specific logical formalisms**

- analysis of semantic settings and expressiveness of suitable logics (model-theoretic themes; e.g. bisimulation)
- reasoning principles in various settings: axiomatics, proof calculi (proof-theoretic themes; e.g. modal correspondence theory)
- methods from classical logic & model theory in non-classical settings

modelling information

e.g. at the propositional level: interpret prop. variables $p, q, r, \dots$

{	one interpretation at a time:	perfect information
	or several possibilities:	imperfect information

$\rightsquigarrow$ **possible worlds** and **information states**

- how to deal with (non-trivial) information states:
 - “ p is/must be true” (easy)
 - “ $p \vee q$ is/must be true” (not so obvious)
- relationships between information states:
 - accessibility between possible worlds (“classical” modal logic)
 - accessibility between information states (e.g. inquisitive logic)
- valid reasoning principles in different contexts:
 - validity, satisfiability and associated proof calculi

modelling of & reasoning about information

e.g., reading a modal operator $\Box$,
interpreted in terms of relationships between possible worlds,
as one of

factual necessity / **guarantee for the future** / **provability** / ...

are these valid implications?

$$(?) \quad \Box\varphi \rightarrow \varphi$$

$$(?) \quad \Box\varphi \rightarrow \Box\Box\varphi$$

$$(?) \quad \Box(\Box\varphi \rightarrow \varphi) \rightarrow \Box\varphi$$

course content: from classical Kripke semantics
and relationship with FO to more recent
developments in finite model theory,
team semantics, relationships with SO, ...